Linear Programming - Q2a [6 marks](18/6/21)

## Exam Boards

OCR : D (Year 1)
MEI: MwA
AQA: D (Year 1)
Edx: D1 (Year 1)

The following Linear Programming problem is to be solved:
Minimise $P=3 x+2 y$,
subject to $5 x+3 y \geq 20$
$y \leq 3 x$
$x \geq 0, y \geq 1$
Obtain a solution using a graphical approach. Assume that noninteger solutions are acceptable. [6 marks]

## Solution

The diagram shows the constraint lines, as well as the (dotted) line $3 x+2 y=6$, which is parallel to the objective function.

[3 marks]
As the line representing the objective function moves away from the Origin, it first enters the feasible region at the intersection of $5 x+3 y=20$ and $y=1$; ie at the vertex $\left(3 \frac{2}{5}, 1\right)$, when
$P=3(3.4)+2(1)=12.2[3$ marks]

