## Proof-Q1 [Practice/E](8/7/21)

If $n$ is a positive integer, and $n^{2}$ is odd, prove that $n$ is odd.

## Solution

[Proof by contradiction]
Suppose that $n$ is even. Then $n=2 m$, for some positive integer $m$. But then $n^{2}=(2 m)^{2}=4 m^{2}$, which is divisible by 2 , and hence even. This contradicts the fact that $n^{2}$ is odd, and so $n$ must be odd.

