The sum of the interior angles of a convex $n$-sided polygon is 180 $(n-2)$

## Solution

When $n=3$ (the smallest possible value), the result is true, as the interior angles of a triangle add up to $180^{\circ}$.

Now assume that the result is true for $n=k$, so that the total of the interior angles is $180(k-2)$.


The diagram shows the case $k=5$, but applies more generally. By adding another triangle, $n$ has increased by 1 , and the total of the interior angles has increased by 180.

Thus the total for $k+1$ sides is $180(k-2)+180=180(k-1)$
$=180([k+1]-2)$
[Standard wording, but starting at $n=3$ ]

