

Topics by Exam Board specifications - Discrete (aka Decision) [Further Maths only]

(9 pages; 30/7/19)

OCR ('Discrete')

D: material common to AS and AL

D*: material for 2nd year of AL only

OCR (MEI)

Modelling with Algorithms [A] [can be taken at either AS or AL]

AQA ('Discrete')

D: material common to AS and AL

D*: material for 2nd year of AL only

EDX ('Decision')

D1: material common to AS and AL

D1*: material for 2nd year of AL only

D2: material common to AS and AL

D2*: material for 2nd year of AL only

	fmng reference (Y \Rightarrow note exists)	OCR	OCR (MEI)	AQA	Edx
Preliminaries					
Problem-solving terminology		D			
Sets		D			
Pigeonhole principle		D			
Permutations & combinations	Prob. & Stats	D			
Inclusion-exclusion principle		D			
Algorithms					
Terminology		D	A		D1
Practicalities		D			
Tracing through algorithm		D	A		D1
Order, efficiency & complexity of an algorithm		D, D*	A		
Heuristic algorithms			A		
Sorting algorithms					
Bubble Sort		D			D1
Shuttle Sort		D			
Quick Sort		D*	A		D1
- counting comparisons			A		

(Bin-)packing algorithms	Y	D, D*	A		D1
- counting comparisons			A		
Allocation problems					D2
Introduction		D			
Cost matrix reduction					D2
Hungarian algorithm	Y				D2
- dummy location					D2
- incomplete data					D2
- maximum profit					D2
Formulation as a LP problem					D2*
Critical Path analysis	Y				
Construct activity-on-arc networks	P1	D	A		D1
Construct activity-on-node networks	P1			D	
Creation of the Precedence table from the network					D1
Perform forward & backward passes	P1	D	A	D	D1

Determine floats	P1	D,D*	A	D	D1
Use Cascade (aka Gantt) chart	P2	D*		D*	D1
Resource & scheduling problems			A	D*	
Lower bound for number of workers needed	P2				D1
Resource Levelling	P2			D*	D1*
Construct Resource Histograms	P2			D*	D1*
Construct scheduling diagram	P2	D*			D1*
Decision Analysis					D2*
Dynamic Programming					D2*
Bellman's principle of optimality					D2*
Stage & State variables					D2*
Use of tabulation to solve max., min., minimax, maximin problems					D2*

Dijkstra's algorithm	Y	D	A		D1
Floyd's algorithm	Y				D1*
Game Theory (zero sum)		D		D	D2
Converting to zero-sum form		D			
Reducing a matrix using a dominance argument		D		D	D2*
Identifying play-safe strategies and stable solutions		D		D	D2
Value of game				D	
Nash equilibrium solution		D*			
Determining optimal mixed strategy		D		D	D2*
Reformulating as LP problem		D*		D*	D2*
Graphs & Networks					
Terminology	Y	D	A	D	
Complete graphs		D	A	D	D1
Bipartite graphs	Max. matching algorithm	D,D*	A	D	

Eulerian graphs		D		D	D1
Hamiltonian graphs		D*		D	D1*
Isomorphism		D		D*	D1
Adjacency matrix (graphs)		D		D	
Weighted matrix (networks)		D			D1
Complement of graph				D	
Planar Graphs		D		D	D1
Euler's formula		D*		D	
Subgraph		D*		D	
Subdivision		D*		D	
contraction		D*			
thickness		D*			
Kuratowski's thm		D*		D*	
Planarity algorithm					D1
Linear Programming	Y				
Formulate constrained optimisation problems (in standard form)		D*	A	D	D1
Reformulating non-standard forms (if variables can			A		

be negative or objective function is to be minimised)					
Formulate network problems as LP: shortest path, critical path, network flows, matching, allocation, transportation	Y		A		
Graphical solution		D	A	D	D1
Integer solution		D	A		D1
Branch & Bound method		D*			
3D LP			A		
Reduction of 3D LP to 2D			A		
Simplex method	Y	D*	A	D*	D1*
Formulate LP problem in augmented (or 'slack') form		D*	A	D*	D1*
Minimisation	P2			D*	D1*
Interpretation		D*	A	D*	
2 Stage Simplex	P2		A		D1*
Big M method	P2				D1*
Equality constraints	P2		A		
Using LP program			A		

Minimum Connector problem	Y			D	
Prim's algorithm - graphical		D	A		D1
Prim's algorithm - tabular		D	A		D1
Kruskal's algorithm		D	A		D1
Network Flows			A		
Max. flow - min. cut thm			A	D	D2
Supersources & supersinks				D	D2*
Augmenting flows to find max. flow (labelling procedure)				D*	D2
Arcs with upper or lower capacities				D*	D2*
Nodes with restricted capacity				D*	D2*
Route Inspection problem	Y	D*		D	D1
Transportation problems					D2*

(North-West corner method)					
Introduction		D			
Stepping stone method					D2*
Dummy locations					D2*
Degeneracy					D2*
Formulation as a LP problem					D2*
Travelling Salesman problem	Y				
Practical & classical problems					D1*
Creating network of shortest distances					D1*
Nearest neighbour algorithm		D*		D	D1*
Lower bound algorithm		D*		D	D1*
Use of spanning tree to find upper bound					D1*
Use of shortcuts to improve upper bound					D1*